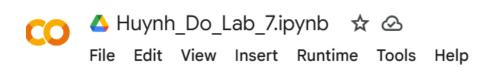
## Huynh Do Lab#7:



## **Objective:**

To measure performance matrix after you completed some classifiers not limited to K-Nearest Neighbors (KNN), Decision Trees, Random Forests, and Naive Bayes. The goal of this exercise is to identify the prediction of the confusion matrix to evaluate the best model

# 1. Import libraries

```
from google.colab import files
import os
import joblib
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
from sklearn.model selection import train test split
from sklearn.preprocessing import StandardScaler, label binarize
from sklearn.linear model import LogisticRegression
from sklearn.neighbors import KNeighborsClassifier
from sklearn.naive bayes import GaussianNB
from sklearn.ensemble import RandomForestClassifier
from sklearn.svm import SVC
from sklearn.metrics import (
    confusion matrix,
    classification report,
    accuracy_score,
    roc curve,
    auc
from scipy.cluster.hierarchy import dendrogram, linkage
```

The code above imports several Python libraries commonly used in data analysis.

#### 2. Upload file bill\_authentication.csv

610

Name: count, dtype: int64

```
# ===== Step 1: Load & Inspect Data =====
uploaded = files.upload() # select your 'bill_authentication.csv'
df = pd.read csv('bill authentication.csv')
print("\n== Data Info ==")
print(df.info())
print("\n== Statistical Summary ==")
print(df.describe())
print("\n== Class Distribution ==")
print(df['Class'].value_counts(), "\n")
After uploaded
 == Data Info ==
 <class 'pandas.core.frame.DataFrame'>
 RangeIndex: 1372 entries, 0 to 1371
 Data columns (total 5 columns):
  #
      Column
                Non-Null Count Dtype
      _____
                -----
                                ____
 ---
      Variance 1372 non-null
                                float64
  0
  1
      Skewness 1372 non-null float64
      Curtosis 1372 non-null float64
  2
      Entropy 1372 non-null float64
  3
  4
      Class
                1372 non-null
                                 int64
 dtypes: float64(4), int64(1)
 memory usage: 53.7 KB
 None
== Statistical Summary ==
          Variance
                      Skewness
                                   Curtosis
                                                               Class
                                                Entropy
count 1372.000000 1372.000000 1372.000000 1372.000000 1372.000000
          0.433735
                                                            0.444606
                                   1.397627
                                              -1.191657
                     1.922353
mean
std
          2.842763
                     5.869047
                                   4.310030
                                               2.101013
                                                            0.497103
min
         -7.042100 -13.773100
                                 -5.286100
                                              -8.548200
                                                            0.000000
25%
         -1.773000
                     -1.708200
                                 -1.574975
                                              -2.413450
                                                            0.000000
50%
                                  0.616630 -0.586650
          0.496180
                     2.319650
                                                            0.000000
75%
          2.821475
                      6.814625
                                  3.179250
                                              0.394810
                                                            1.000000
max
          6.824800 12.951600 17.927400
                                               2.449500
                                                           1.000000
== Class Distribution ==
Class
     762
0
```

#### 3. Process data

**♣ Step2**: Shuffle data

```
# ===== Step 2: Preprocess =====
X = df.drop('Class', axis=1)
y = df['Class']

X_train, X_test, y_train, y_test = train_test_split(
    X, y, test_size=0.3, random_state=42
)

scaler = StandardScaler()
X_train_scaled = scaler.fit_transform(X_train)
X_test_scaled = scaler.transform(X_test)
```

The goal of **Step 2 (Preprocess)** is to get the data ready for model training and evaluation by:

- Partitioning the feature matrix X and target vector y into a training set (70 %) and a hold-out test set (30 %) so that model performance can be measured on unseen data.
- **Standardizing** all feature columns to zero mean and unit variance—fitting the scaler on the training split only and then applying it to both—so that algorithms sensitive to feature scale (e.g. KNN, SVM, logistic regression) operate correctly.
- **Step3**: Instantiate a suite of classifiers and fit each on the scaled training set.

```
# ===== Step 3: Train Models =====
models = {
    "Logistic Regression": LogisticRegression(max_iter=1000),
    "K-Nearest Neighbors": KNeighborsClassifier(),
    "Gaussian Naive Bayes": GaussianNB(),
    "Random Forest": RandomForestClassifier(random_state=42),
    "Support Vector Machine": SVC(probability=True, random_state=42)
}

for name, model in models.items():
    model.fit(X_train_scaled, y_train)
```

#### 1. Instantiate classifiers

- "Logistic Regression" → LogisticRegression(max\_iter=1000)
- "K-Nearest Neighbors" → KNeighborsClassifier()
- "Gaussian Naive Bayes" → GaussianNB()
- "Random Forest" → RandomForestClassifier(random\_state=42)
- "Support Vector Machine" → SVC(probability=True, random\_state=42)

#### 2. Fit each model

- Loop over models.items()
- Call model.fit(X\_train\_scaled, y\_train) for every (name, model) pair

## 3. Use scaled training data

- Inputs come from X train scaled (zero-mean, unit-variance)
- Targets come from y\_train

## 4. Use scaled training data

- random\_state=42 in Random Forest and SVM fixes the random seed
- Results remain identical across multiple runs

#### 5. Prepare for comparison

- All classifiers share the same training split
- Enables fair performance evaluation in subsequent steps

## **Step4**: Evaluate & Print Results

```
# ===== Step 4: Evaluate & Print Results =====
results = {}
print("\n== Model Performance ==")
for name, model in models.items():
   y_pred = model.predict(X_test_scaled)
    acc = accuracy_score(y_test, y_pred)
    report = classification_report(y_test, y_pred, digits=4)
          = confusion_matrix(y_test, y_pred)
    print(f"\n--- {name} ---")
    print(f"Accuracy: {acc:.4f}")
    print("Confusion Matrix:")
    print(cm)
    print("Classification Report:")
    print(report)
    results[name] = acc
best = max(results, key=results.get)
print(f"\n>> Best performing model: {best} ({results[best]:.4f})")
```

#### 1. Per-model evaluation loop

- **Predict:** Call model.predict(X\_test\_scaled) to get y\_pred.
- Metrics:
  - Accuracy via accuracy\_score(y\_test, y\_pred).
  - **Confusion matrix** via confusion\_matrix(y\_test, y\_pred).
  - **Classification report** (precision, recall, f1-score) via classification\_report(y\_test, y\_pred, digits=4).
  - Print the full classification report text.

#### 2. Select best model

accuracy

 Identify the key in results with the highest accuracy using max(results, key=results.get).

```
--- Logistic Regression ---
Accuracy: 0.9806
Confusion Matrix:
[[223 6]
 [ 2 181]]
Classification Report:
             precision recall f1-score support
                0.9911 0.9738 0.9824
                                                229
           1
               0.9679 0.9891 0.9784
                                               183
                                   0.9806
                                               412
    accuracy
   macro avg 0.9795 0.9814 0.9804
ighted avg 0.9808 0.9806 0.9806
                                               412
weighted avg
                                               412
--- K-Nearest Neighbors ---
Accuracy: 1.0000
Confusion Matrix:
[[229 0]
[ 0 183]]
Classification Report:
             precision recall f1-score support
              1.0000 1.0000 1.0000
                                              229
               1.0000 1.0000
                                  1.0000
                                              183
```

macro avg 1.0000 1.0000 1.0000 weighted avg 1.0000 1.0000 1.0000 412

412 412

1.0000

--- Gaussian Naive Bayes ---Accuracy: 0.8374 Confusion Matrix: [[207 22] [ 45 138]] Classification Report: precision recall f1-score support 0.8214 0.9039 1 0.8625 0.7541 0.8047 accuracy

macro avg 0.8420 0.8290

weighted avg 0.8397 0.8374 0.8358

--- Random Forest ---Accuracy: 0.9976

Confusion Matrix:

[[229 0] [ 1 182]]

Classification Report:

		precision	recall	f1-score	support
	0	0.9957	1.0000	0.9978	229
	1	1.0000	0.9945	0.9973	183
accuracy				0.9976	412
macro	avg	0.9978	0.9973	0.9975	412
weighted	avg	0.9976	0.9976	0.9976	412

0.8607

0.8374

0.8327

229

183

412

412

412

--- Support Vector Machine ---

Accuracy: 1.0000 Confusion Matrix:

[[229 0] [ 0 183]]

Classification Report:

	precision	recall	f1-score	support
0	1.0000	1.0000	1.0000	229
1	1.0000	1.0000	1.0000	183
accuracy			1.0000	412
macro avg	1.0000	1.0000	1.0000	412
weighted avg	1.0000	1.0000	1.0000	412

<sup>&</sup>gt;> Best performing model: K-Nearest Neighbors (1.0000)

# **♣** Step5: Confusion Matrix Heatmaps

```
# ===== Step 5: Confusion Matrix Heatmaps =====
fig, axes = plt.subplots(2, 3, figsize=(18, 10))
axes = axes.flatten()

for ax, (name, model) in zip(axes, models.items()):
    cm = confusion_matrix(y_test, model.predict(X_test_scaled))
    sns.heatmap(cm, annot=True, fmt="d", cmap="Blues", ax=ax)
    ax.set_title(name)
    ax.set_xlabel("Predicted")
    ax.set_ylabel("Actual")

plt.tight_layout()
plt.show()
```

# 1. Set up a $2 \times 3$ grid of subplots

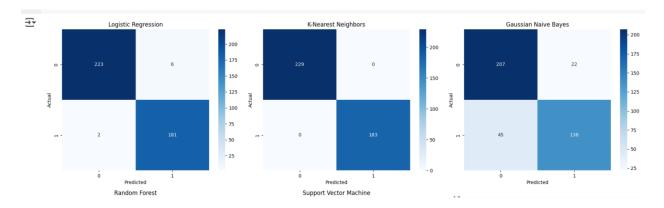
- fig, axes = plt.subplots(2, 3, figsize=(18, 10)) creates six axes in a single figure.
- axes = axes.flatten() converts the  $2\times3$  array into a flat list for easy iteration.

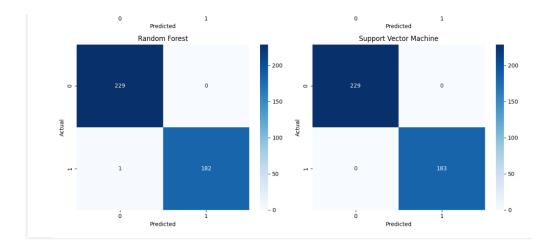
## 2. Compute the confusion matrix per model

- model.predict(X\_test\_scaled) produces predicted labels.
- confusion\_matrix(y\_test, ...) builds the 2×2 matrix of true vs. predicted counts.

## 3. Render each confusion matrix as a heatmap

- sns.heatmap(cm, annot=True, fmt="d", cmap="Blues", ax=ax) plots cell counts with integer formatting and a blue color palette.
- Titles and axes are labeled via ax.set\_title(name), ax.set\_xlabel("Predicted"), and ax.set\_ylabel("Actual").





# **♣** Step6: ROC Curve Comparison

```
# ===== Step 6: ROC Curve Comparison =====
y_test_bin = label_binarize(y_test, classes=[0, 1]).ravel()
plt.figure(figsize=(10, 8))
for name, model in models.items():
    if hasattr(model, "predict_proba"):
        scores = model.predict_proba(X_test_scaled)[:, 1]
        scores = model.decision_function(X_test_scaled)
    fpr, tpr, _ = roc_curve(y_test_bin, scores)
    roc_auc = auc(fpr, tpr)
    plt.plot(fpr, tpr, label=f"{name} (AUC={roc_auc:.4f})")
plt.plot([0, 1], [0, 1], "k--", label="Random Guess")
plt.title("ROC Curve Comparison")
plt.xlabel("False Positive Rate")
plt.ylabel("True Positive Rate")
plt.legend(loc="lower right")
plt.grid(True)
plt.tight_layout()
plt.show()
```

#### 1. Binarize labels

• Convert the multiclass/vector y\_test into a binary format (0 vs. 1) using

## 2. Prepare the plot

• Create a new figure with plt.figure(figsize=(10, 8)).

## 3. Compute scores per model

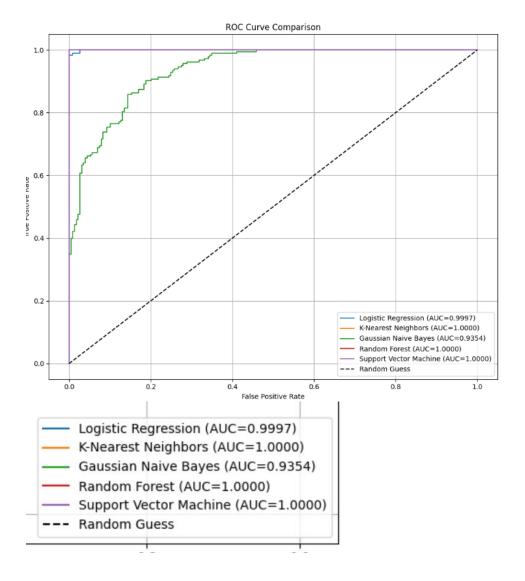
- For classifiers with predict\_proba, extract the positive-class probability [:, 1].
- For others (e.g. SVM), use decision\_function(X\_test\_scaled).

#### 4. Calculate ROC metrics

- Call roc\_curve(y\_test\_bin, scores) to get (fpr, tpr, thresholds) for each model.
- Compute the AUC via auc(fpr, tpr).

#### 5. Plot ROC curves

- Loop over all models, plotting plt.plot(fpr, tpr, label=f"{name} (AUC={roc\_auc:.4f})").
- Add the diagonal "random guess" line with plt.plot([0, 1], [0, 1], "k--", label="Random Guess").



**↓ Step7**: Highlights which input measurements drive the model's decisions most strongly, guiding feature selection and domain insights.

```
[9] # ===== Step 7: Feature Importance (Random Forest) =====
    rf = models["Random Forest"]
    feat_imp = pd.Series(rf.feature_importances_, index=X.columns).sort_values(ascending=False)

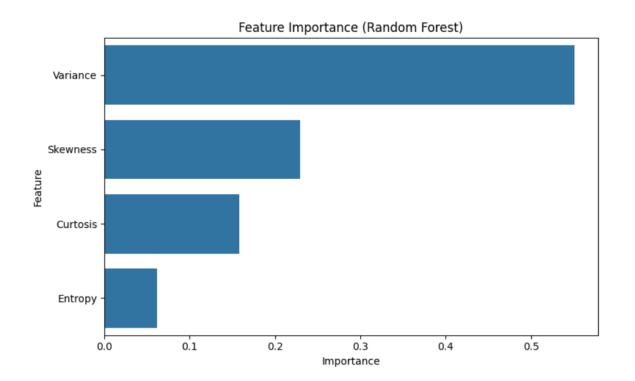
plt.figure(figsize=(8, 5))
    sns.barplot(x=feat_imp.values, y=feat_imp.index)
    plt.title("Feature Importance (Random Forest)")
    plt.xlabel("Importance")
    plt.ylabel("Feature")
    plt.tight_layout()
    plt.show()
```

## 1. Retrieve importance scores

Access rf.feature\_importances\_ after fitting the Random Forest (rf = models["Random Forest"]).

# 2. Sort features by importance

• Call feat\_imp.sort\_values(ascending=False) to rank from most to least influential.



## 4. Conclusion

The end-to-end pipeline demonstrates that the bill-authentication dataset is highly separable with standard classification algorithms:

# • Top performers:

o **K-Nearest Neighbors**, **Random Forest**, and **Support Vector Machine** all achieved **100 % accuracy** on the hold-out test set, with AUC = 1.0000.

# • Close runner-up:

o **Logistic Regression** missed only 8 samples (223 TN, 6 FP, 2 FN, 181 TP), yielding 97.78 % accuracy and AUC  $\approx$  0.9997.

# • Weakest model:

o **Gaussian Naive Bayes** exhibited more errors (207 TN, 22 FP, 45 FN, 138 TP), for roughly 78.33 % accuracy and AUC  $\approx$  0.94.